

Facilitation and competition in the desert: saguaro cactus and Palo Verde trees

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INTRODUCTION OF TARGET SPECIES



Palo Verde tree Cercidium floridum



Saguaro cactus Carnegiea gigantea

INTRODUCTION OF TARGET SPECIES



Palo Verde tree *Cercidium floridum* Saguaro cactus *Carnegiea gigantea*

DESCRIPTION OF THE

Desert

- Water limitations
- Sun exposure
- Freezing
- Predation
- Wind

INTRODUCTION OF THEIR INTERACTIONS

• Nurse plants

protection against such adverse conditions



FACILITATION

Water stress and nutrients



COMPETITION

POPULATION DYNAMICS BASED ON LITERATURE



Saguaros growing under Palo Verde tree Saguaros that have killed a Palo Verde tree

THE MODEL

- Species-1 needs species-2 to survive in a part of its life-cycle
- Young species-1 consumes the resources that species-2 does not use
- Old species 1 competes with species 2 and kills it
- Species-1 behaves as a parasite!

But not any parasite...

As the killer cacti can survive for very long!!

But not just any parasite... As the killer cacti can survive for very long!!



























"Alien Cactus" Mode

$$\frac{dP}{dt} = b_p P_T - d_p (1 + \frac{P_T}{K_P}) P - \frac{b_{S_y}(P_{S_o} + S_o)P}{K_o} + \frac{d_{S_y}P_{S_y}}{K_o} + \frac{d_{S_o}P_{S_o}}{K_o}$$

PT: total number of Palo Verde trees (PT = P + PSy + PSo)



$$\frac{dP_{S_y}}{dt} = b_{S_y}(P_{S_o} + S_o)P - g_S P_{S_y} - d_{S_y} P_{S_y} - d_p P_{S_y}$$



$$\frac{dP_{S_o}}{dt} = g_S P_{S_y} - d_{S_o} P_{S_o} - d_p (1 + \frac{P_T}{K_P} + C_{S_o}) P_{S_o}$$



$$\frac{S_o}{dt} = d_p (1 + \frac{P_T}{K_P} + \frac{C_{S_o}}{N_{S_o}}) P_{S_o} - d_{S_o} S_o$$

"Alien Cactus" Mode $\frac{dP}{dt} = b_p P_T - d_p (1 + \frac{P_T}{K_P}) P - b_{S_y} (P_{S_o} + S_o) P + d_{S_y} P_{S_y} + d_{S_o} P_{S_o}$

$$\frac{dP_{S_y}}{dt} = b_{S_y}(P_{S_o} + S_o)P - g_S P_{S_y} - d_{S_y} P_{S_y} - d_p P_{S_y}$$

$$\frac{dP_{S_o}}{dt} = g_S P_{S_y} - d_{S_o} P_{S_o} - d_p (1 + \frac{P_T}{K_P} + C_{S_o}) P_{S_o}$$

$$\frac{S_o}{dt} = d_p \left(1 + \frac{P_T}{K_P} + C_{S_o}\right) P_{S_o} - d_{S_o} S_o$$

Possible Outcomes

 Endemy/Coexistence: Both species survives

Recovery: Cacti extinction

Extinction: Both species extinct

Exploring the model

• Differential equations solved by numerical integration.

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- Initial conditions:
 - P: high population
 - Psy: low population
 - Pso: absent
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Exploring the model

- Differential equations solved by numerical integration.
- Initial conditions:
 - P: high population
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 - Pso: absent
 - So: absent
- Parameter space explored with the Latin Hypercube

Model Outcomes

Endemy/Coexistence: Both species



Model Outcomes

Recovery: Cacti



Model Outcomes Extinction: Both















Change in Initial Population of Palo Verdes



Change in Initial Population of Palo Verdes



Change in Initial Population of Palo Verdes



Palo Verde Birth Rate vs. Mortality



Palo Verde Birth Rate vs. Mortality

Palo Verde Birth Rate vs. Mortality





Palo Verde Birth Rate vs. Mortality

Conclusions

 Endemy/Coexistence: Both species survives
 dP

- Recovery: Costi extinction
- Extinction: Both species extinct

Conclusions

Competition rate (cSo), death rate of old cacti (dSo) and maturation rate of cacti (gS) seem to play an important role in the dynamics

Next steps:

- Explore other parameters while controlling the effects of bp and dp
- Explicitly include abiotic stress (water availability, temperature conditions, etc)